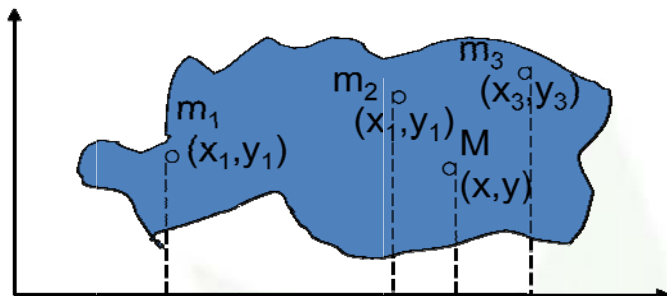




## Moment Of Inertia – Centre Of Mass

### Center of Mass

$M$  = mass of the lamina If we take the moment of all the point masses about the X axis we get  $m_1y_1$ ,  $m_2y_2$ ,  $m_3y_3$ .... and moment about Y axis  $m_1x_1$ ,  $m_2x_2$ ,  $m_3x_3$  .....



∴ Sum total of moments of all the point masses about X-axis =  $m_1y_1 + m_2y_2 + m_3y_3 + \dots = \sum my$

Sum total of moments of all the point masses about Y-axis =  $m_1x_1 + m_2x_2 + m_3x_3 + \dots = \sum mx$

Let us now find a point C on lamina such that if we imagine a point mass  $M$  equal to the mass of the lamina at C then the moment of that point mass about X and Y axis would be same as the sum total of moments of all the point masses about X and Y axis respectively the C is known as center of mass.

Moment of point mass  $M$  at C about X axis =  $M.Y = \sum my$

Moment of point mass  $M$  at C about Y axis =  $M.X = \sum mx$

$m.CN$  = Moment of point mass about the axis passing through the center of mass.

$\sum m.CN$  = Sum of total moments of all the point masses about an axis passing through the center of mass, according to the definition of center of mass it should be ZERO.

$\sum m.CN = 0$