



PLASMA:

If we increase the temp. of a gas above a certain value, the K.E of the atoms grows to such an extent that the collision of two atoms may split them up into electrons and positively charged ions. Generally plasma can be assumed to be a mixture of three components, free electrons, positive ions and neutral atoms. The particles interact between themselves through Coulomb electrostatic forces.

Plasma is known as fourth state of matter. The ionosphere is a plasma envelope surrounding the earth atmosphere. The Sun and Stars can be regarded as a lumps of hot plasma.

Quasi Neutrality of plasma: One of the distinctive property of plasma is its quasi neutrality. The electric forces which bind the opposite charges in plasma provide for its quasi neutrality. Quasi neutrality means the tendency to balance +ve and -ve space charge in each microscopic volume element. For a given temp. and concentration quasi-neutrality is described by a characteristic linear parameter δ . Let x represent the linear size of the volume element under consideration. If $x \gg \delta$ the concentrations of opposite charges in this volume are equal i.e. neutrality is maintained. If $x \ll \delta$ the separation of charges has no significance on the motion of the particles and the neutrality is isolated. The electric field is screened off at a distance δ .



The characteristic linear parameter or characteristic length δ can be calculated in the following way:

Let us suppose that the charges are completely separated in a volume element with its linear size δ .

The p.e of the charged particles in this volume element, is of the order of the energy of the thermal motion i.e. kT where T is plasma temperature.

Let \vec{E} be the intensity of the electric field within that volume element.

Applying Poisson's equation:

$$\nabla^2 V = \nabla \cdot \nabla V = \frac{-\rho}{\epsilon_0}$$

$\rho =$ charge density in that volume element
 $V =$ electric potential, $\nabla V = \text{Grad} V = -\vec{E}$

$$\therefore \nabla \cdot (-\vec{E}) = -\frac{\rho}{\epsilon_0} \quad \Rightarrow \quad \boxed{\nabla \cdot \vec{E} = \rho/\epsilon_0} \quad \text{--- (1)}$$

Since δ is the order of the linear size of the volume element

$$\nabla \cdot \vec{E} \approx \frac{E}{\delta} \quad \text{--- (2)}$$

Let N_0 be the no. of charged particles per unit volume in that volume element.

$$\therefore \boxed{\rho = N_0 e}$$

Equating (1) and (2):

$$\frac{E}{\delta} = \frac{N_0 e}{\epsilon_0} \quad \text{--- (3)}$$

$$\Rightarrow E = \frac{N_0 e \delta}{\epsilon_0}$$



Hence plasma potential 'V' in that element of volume is $V = E\delta$
 putting eqⁿ (3):

$$V = E\delta = \frac{N_0 e \delta^2}{\epsilon_0} \quad (4)$$

The potential energy of a particle in that volume element

$$U = qV \approx \frac{N_0 e^2 \delta^2}{\epsilon_0} \text{ which}$$

is of the order of kT

$$\therefore \frac{N_0 e^2 \delta^2}{\epsilon_0} \sim kT \quad (5)$$

from eqⁿ (5) we get: $\delta = \left[\frac{\epsilon_0 kT}{N_0 e^2} \right]^{1/2} \quad (6)$