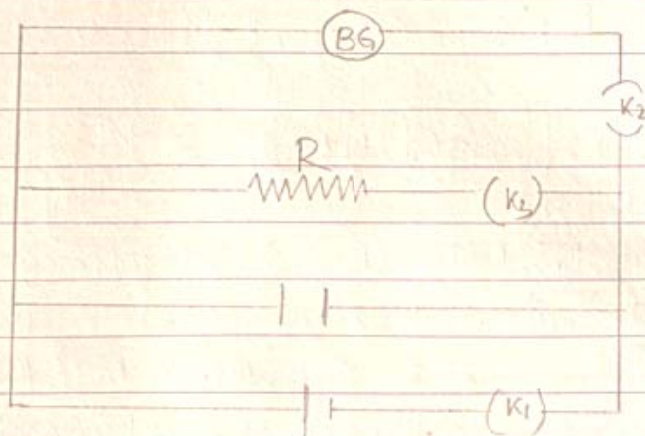




## Use of Ballistic Galvanometer:

Measurement of high resistance (of the order of kilo or mega ohm) by leakage, using a Ballistic galvanometer:



① Key  $K_1$  is closed;  $K_2$  &  $K_3$  are opened; the capacitor is charged to a p.d, equal to the e.m.f of the battery. Let  $Q_0$  be the charge stored in the capacitor.

②.  $K_1$  is opened;  $K_3$  is opened & closing the key  $K_2$  only; the charge  $Q_0$  in the capacitor is discharged through the ballistic galvanometer & the first throw of B.G. is noted.

Let  $\theta_0$  be the 1st observed throw.

The correct throw considering the correction due to damping;  $\theta_c = \theta_0 [1 + \lambda/2]$  where  $\lambda$  is the logarithmic decrement of the B.G.

$$\therefore \theta_0 = \frac{T}{2\pi} \frac{C}{nAB} \theta_c (1 + \lambda/2) \quad \text{--- (1)}$$

## Use Of Ballistic Galvanometer



③. Key  $K_2$  is Opened ;  $K_3$  is Opened closing the Key  $K_1$  only, the Capacitor is charged again to the P.d, Same as the e.m.f of the source & a charge  $Q_0$  is again stored in the Capacitor.

④. Key  $K_1$  is Opened ;  $K_2$  Opened & Key  $K_3$  is closed only & the moment  $K_3$  is closed, a Stopwatch is started & the charge in the Capacitor is discharged through resistance for certain time interval  $t$  sec.

⑤.  $K_3$  is Opened &  $K_2$  is closed only, the remaining charge in the Capacitor is discharged through the B.G & the deflection is noted.

Let  $t$  = time for which Capacitor discharged through the resistance  $R$  (measured).

$Q$  = charge stored in the Capacitor after  $t$  sec.

$$\therefore Q = Q_0 e^{-t/Rc} \quad \text{--- (2)}$$

Let  $\theta'$  = Deflection in B.G when charge  $Q$  is passed through it.

$$Q = \frac{T}{2\pi} \frac{C}{nAB} \theta' [1 + \lambda/2] \quad \text{--- (3)}$$

Equating (2) and (3) :  $Q_0 e^{-t/Rc} = \frac{T}{2\pi} \frac{C}{nAB} \theta' [1 + \lambda/2]$

Dividing (1) by (4) :-

$$\frac{Q_0}{Q_0 e^{-t/Rc}} = \frac{\theta_0}{\theta'} \quad \text{or} \quad \frac{t}{Rc} = \log_e \left[ \frac{\theta_0}{\theta'} \right]$$

$$\therefore R = \frac{t}{c [\log_e \theta_0 - \log_e \theta']}$$